COG: Connecting New Skills to Past Experience with Offline Reinforcement Learning

Avi Singh, Albert Yu, Jonathan Yang, Jesse Zhang, Aviral Kumar, Sergey Levine
University of California, Berkeley
{avisingh,albertyu,jy2370,jessezhang,aviralk,svlevine}@berkeley.edu

Abstract

Reinforcement learning has been applied to a wide variety of robotics problems, but most of such applications involve collecting data from scratch for each new task. Since the amount of robot data we can collect for any single task is limited by time and cost considerations, the learned behavior is typically narrow: the policy can only execute the task in a handful of scenarios that it was trained on. What if there was a way to incorporate a large amount of prior data, either from previously solved tasks or from unsupervised or undirected environment interaction, to extend and generalize learned behaviors? While most prior work on extending robotic skills using pre-collected data focuses on building explicit hierarchies or skill decompositions, we show in this paper that we can reuse prior data to extend new skills simply through dynamic programming. We show that even when the prior data does not actually succeed at solving the new task, it can still be utilized for learning a better policy, by providing the agent with a broader understanding of the mechanics of its environment. We demonstrate the effectiveness of our approach by chaining together several behaviors seen in prior datasets for solving a new task, with our hardest experimental setting involving composing four robotic skills in a row: picking, placing, drawer opening, and grasping, where a +1/0 sparse reward is provided only on task completion. We train our policies in an end-to-end fashion, mapping high-dimensional image observations to low-level robot control commands, and present results in both simulated and real world domains. Additional materials and source code can be found on our project website: https://sites.google.com/view/cog-rl.

1 Introduction

Consider a robot that has been trained using reinforcement learning (RL) to take an object out of an open drawer. It learns to grasp the object and pull it out of the drawer. If the robot is then placed in a scene where the drawer is instead closed, it will likely fail to take the object out, since it has not seen this scenario or initial condition before. How can we enable learning-based robotic systems to reason effectively in such scenarios? We might expect that methods based on hierarchies or explicit skill decomposition would be needed to integrate a drawer opening skill with the grasping behavior. But what if simply combining previously collected (and unlabeled) robot interaction data, which might include drawer opening and other behaviors, together with offline RL methods [22], can allow these behaviors to be combined automatically, without any explicit separation into individual skills? In this paper, we study how model-free RL algorithms can utilize prior data to extend and generalize learned behaviors, incorporating segments of experience from this prior data as needed at test-time.

Our main contribution is to demonstrate that model-free offline RL can learn to combine task data with prior data, producing previously unseen combinations of skills to meet the pre-conditions of the task of interest, and effectively generalizing to new initial conditions. We call our approach COG: Connecting skills via Offline RL for Generalization. We describe a robotic learning system that
Incorporating unlabeled prior data into the process of learning a new skill. We present a system that allows us to extend and generalize robotic skills by using unlabeled prior datasets. Learning a new skill requires collecting some task-specific data (right), which may not contain all the necessary behaviors needed to set up the initial conditions for this skill in a new setting (e.g., opening a drawer before taking something out of it). The prior data (left) can be used by the robot to automatically figure out that, when it encounters a closed drawer at test time, it can first open it, and then remove the object. The task data does not contain drawer opening, and the prior data does not contain any examples of lifting the new object.

builds on this idea to learn a variety of manipulation behaviors, directly from images. We evaluate our system on several manipulation tasks, where we collect prior datasets consisting of imperfect scripted behaviors, such as grasping, pulling, pushing, and placing a variety of objects. We use this prior data to learn several downstream skills: opening and closing drawers, taking objects out of drawers, putting objects in a tray, and so on. We train neural network-based policies on raw, high-dimensional image observations, and only use sparse binary rewards as supervision. We demonstrate the effectiveness of COG in both simulated domains and on a real world low-cost robotic arm.

2 Incorporating Prior Data into Robotic Reinforcement Learning

We formalize our problem in the standard RL framework. The goal in RL is to optimize the infinite horizon discounted return $R_t = \sum_{i=0}^{\infty} \gamma^i r_i$ in a Markov decision process (MDP), which is defined by a tuple $(S, A, T, r, \gamma)$, where $S$ and $A$ represent state and action spaces, $T(s' | s, a)$ and $r(s, a)$ represent the dynamics and reward function, and $\gamma \in (0, 1)$ represents the discount factor. We operate in the offline RL setting as opposed to the standard online regime since we are interested in leveraging most out of prior datasets.

In most prior works on offline RL [16, 8, 1], the method is typically provided with data for the specific task that we wish to train a policy for, and the entire dataset is annotated with rewards that defines our objective for that task. In contrast, there are two distinct sources of data in our problem setting: task-agnostic, unlabeled prior data, which we denote as $D_{\text{prior}}$, and task-specific data, which we denote as $D_T$, where $T$ represents our task. The datapoints in $D_{\text{prior}}$ simply consist of $(s, a, s')$ transitions, and do not have any associated reward labels. While we cannot train a policy to achieve any particular objective from this data alone, it is informative about the dynamics of the MDP where the data was collected. On the other hand, the datapoints in $D_T$ consist of $(s, a, s', r)$ tuples, and can be used for learning a policy that maximizes the observed reward. To summarize, the input and output of our problem setting are as follows:

**Input:** Datasets $D_{\text{prior}}$ (with no reward annotations), $D_T$ (with sparse rewards for task $T$).  
**Return:** Policy $\pi$ trained to execute task $T$, which should be able to generalize broadly to new initial conditions. We would like to leverage $D_{\text{prior}}$ for the latter.

3 Connecting New Skills to Past Experience via Dynamic Programming

Our approach is conceptually very simple: use offline RL to incorporate prior data into the training for the new skill. However, the reasons why this approach should be effective in our problem setting are somewhat nuanced. In this section, we will discuss how model-free dynamic programming methods based on Q-learning can be used to connect new tasks to past experience. Before presenting COG, let’s first briefly revisit off-policy deep RL algorithms.

Standard off-policy deep RL methods, such as SAC [10], maintain a parametric action-value or Q-function, $Q_\theta(s, a)$, and optionally a parametric policy, $\pi_\phi(a|s)$, with parameters $\theta$ and $\phi$, respec-
Figure 2: Connecting new skills to past experience. Q-learning propagates information backwards in a trajectory (middle) and by stitching together trajectories via Bellman backups from the task-agnostic prior data (left), it can learn optimal actions from initial conditions appearing in the prior data (right).

These methods typically train $Q_\theta(s, a)$ to predict the return under $\pi_\phi$, in the direction of increasing Q-values in the policy improvement step:

$$\theta^{k+1} \leftarrow \arg \min_\theta \mathbb{E}_{s, a, s' \sim D_T} \left[ (r(s, a) + \gamma \mathbb{E}_{s' \sim s_k} Q_k^\phi(s', a')) - Q_\theta(s, a) \right]^2$$

(policy evaluation)

$$\phi^{k+1} \leftarrow \arg \max_\phi \mathbb{E}_{s, a, s' \sim D_T} \left[ Q^{k+1}_\theta(s, a) \right]$$

(policy improvement)

In order to see how this model-free procedure can help us stitch together different behaviors (which we will define shortly), we start with some intuition about the Q-learning process. Q-learning propagates information backwards through a trajectory. State-action pairs at the end of a trajectory with a high reward are assigned higher values, and these values propagate to states that are further back in time, all the way to the beginning of the trajectory. Recall the example from Section 1, where the goal is to take an object out of a drawer. Assume that a reward of +1 is obtained when the object has been taken out of the drawer, and otherwise the reward is 0. Under this reward, the state where the robot has grasped the object (but not yet lifted it) will have a slightly lower value, since it is farther away from the successful completion of the task. The initial state, where the robot gripper is far away from the object, will have very low value. See Figure 2 (right) for an illustration of such states. However, the initial state will still have a non-zero value, since the Q-function "understands" that it is possible to reach high-reward states. Any state for which there does not exist a valid path to a high-reward state will have a value that is equal to zero, and all other states will have non-zero values, decreasing exponentially (in the discount) with distance to the state where object is out of the drawer.

We may now ask, what happens if at test-time, the robot is asked to perform the task from some new state that was not seen in $D_T$, such as a state where the drawer is closed? Such a state would either have a value of zero or, even worse, an arbitrary value, since it is outside of the training distribution. Therefore, the robot would likely not succeed at the task from this situation. Of course, we could train the new skill from a wider range of initial states, but if each skill must be learned from every possible starting state, it will quickly become prohibitively costly to train large skill repertoires.

What if the Q-learning method was now augmented with an additional large dataset that contains a wide variety of other behaviors, but does not contain any data for the new task? Such a dataset can still help us learn a much more useful policy, even in the absence of reward annotation: it can provide us with trajectories that (approximately) connect states not observed in $D_T$ (e.g., a closed drawer) to states appearing in successful executions in $D_T$ (e.g., open drawer), as shown in Figure 2. If the prior dataset $D_{prior}$ is large enough, it can inform the policy of different ways of reaching states from which the new task is solvable. For example, if an object obstructs the drawer, and the prior dataset contains pick and place trajectories, then the policy can reason that it can unobstruct the drawer before opening it. Model-free Q-learning alone, without any skill decomposition or planning, can propagate values from $D_T$ into $D_{prior}$, allowing us to learn a policy that can execute the task from a much broader distribution of initial states without actually seeing full executions of the task from these states. Even without a single trajectory that both opens the drawer and takes the object out, as long as there is a non-zero overlap between $D_{prior}$ and $D_T$, Q-learning can still learn from $D_{prior}$.

Offline RL via conservative Q-learning (CQL). In order to incorporate the prior data $D_{prior}$ into the RL process, we require an algorithm that can effectively utilize such prior data without actu-
ally interacting with the environment from the same initial states. Standard off-policy Q-learning and actor-critic algorithms are susceptible to out-of-distribution actions in this setting [22, 16, 15]. We instead utilize the conservative Q-learning (CQL) [17] algorithm that additionally penalizes Q-values on out-of-distribution actions during training. CQL learns Q-functions, \( Q_\theta(s,a) \), such that the expected policy value under \( Q_\theta \) lowers-bounds the true policy value \( \pi_\phi \), by minimizing the log-sum-exp of the Q-values at each state \( s \), while maximizing the expected Q-value on the dataset action distribution, in addition to standard Bellman error training as shown in Equation 1. The training objective shown in Equation 1 is the variant of CQL used in this paper:

\[
\min \quad \alpha \mathbb{E}_{s \sim D_{\text{prior}} \cup D_T} \left[ \log \sum_a \exp(Q(s, a)) - \mathbb{E}_{a \sim D_{\text{prior}} \cup D_T}[Q(s, a)] \right] + \frac{1}{2} \mathbb{E}_{s,a,a' \sim D_T \cup D_{\text{prior}}} \left[ (Q - B) (Q - \hat{Q}) \right] .
\]

We instantiate CQL as an actor-critic algorithm. The policy improvement step remains unchanged as compared to a standard off-policy RL method, as discussed previously.

4 Experiments

We aim to answer the following questions through our experiments: (1) Can model-free RL algorithms effectively leverage prior, task-agnostic robotic datasets for learning new skills? (2) Can our learned policies solve new tasks, especially from novel initial conditions, by stitching together behavior observed during training? (3) How does our approach compare to alternative methods for incorporating prior data (such as behavior cloning)? (4) Is the addition of prior data essential for learning to solve the new task? To this end, we evaluate our approach on a number of long-horizon, multi-step reasoning robotic tasks with different choices of \( D_T \) and \( D_{\text{prior}} \) and then perform an ablation study to understand the benefits of incorporating unlabeled offline datasets into robotic learning systems via offline reinforcement learning methods.

4.1 Experimental Setup

We evaluate our approach in simulation (see Figures 3 and 4) and on a real-robot task with a WidowX low-cost arm (see Figure 6).

<table>
<thead>
<tr>
<th>Task &amp; Initial Condition</th>
<th>No prior data</th>
<th>BC init</th>
<th>BC all</th>
<th>BC oracle</th>
<th>SAC</th>
<th>COG (ours)</th>
</tr>
</thead>
<tbody>
<tr>
<td>place in box</td>
<td>1.00 (0.00)</td>
<td>1.00 (0.00)</td>
<td>0.94 (0.01)</td>
<td>0.95 (0.01)</td>
<td>0.96 (0.04)</td>
<td>0.96 (0.04)</td>
</tr>
<tr>
<td>object in gripper</td>
<td>0.00 (0.00)</td>
<td>0.00 (0.00)</td>
<td>0.02 (0.00)</td>
<td>0.02 (0.01)</td>
<td>0.00</td>
<td>0.00 (0.00)</td>
</tr>
<tr>
<td>grasp from drawer</td>
<td>0.98 (0.01)</td>
<td>0.99 (0.00)</td>
<td>0.63 (0.01)</td>
<td>0.82 (0.01)</td>
<td>0.00</td>
<td>0.98 (0.02)</td>
</tr>
<tr>
<td>open drawer</td>
<td>0.00 (0.00)</td>
<td>0.00 (0.00)</td>
<td>0.23 (0.01)</td>
<td>0.27 (0.03)</td>
<td>0.86 (0.07)</td>
<td>0.78 (0.07)</td>
</tr>
<tr>
<td>closed drawer</td>
<td>0.00 (0.00)</td>
<td>0.00 (0.00)</td>
<td>0.34 (0.03)</td>
<td>0.35 (0.03)</td>
<td>0.00</td>
<td>0.76 (0.09)</td>
</tr>
<tr>
<td>blocked drawer 1</td>
<td>0.00 (0.00)</td>
<td>0.00 (0.00)</td>
<td>0.22 (0.03)</td>
<td>0.25 (0.01)</td>
<td>0.00</td>
<td>0.76 (0.09)</td>
</tr>
<tr>
<td>blocked drawer 2</td>
<td>0.00 (0.00)</td>
<td>0.00 (0.00)</td>
<td>0.22 (0.03)</td>
<td>0.25 (0.01)</td>
<td>0.00</td>
<td>0.76 (0.09)</td>
</tr>
</tbody>
</table>

Table 1: Results for simulated experiments. Mean (Standard Deviation) success rate of the learned policies for our method (COG), its ablations and prior work. For the grasping from drawer task, blocked drawer 1 and 2 are initial conditions corresponding to the third and fourth rows of Figure 4. Note that COG successfully performs both tasks in the majority of cases, from all initial conditions. SAC (−) diverged in our runs.

Baselines and comparisons. We compare COG to: (1) pre-training a policy via behavioral cloning on the prior data and then fine-tuning with offline RL on the new task, denoted as BC-init, (2) a naïve behavioral cloning baseline, denoted as BC, which trains with BC on all data, (3) an “oracle” version of behavioral cloning that is provided with handpicked successful trajectories on the new task, denoted as BC-oracle that is indicative of an upper bound on performance of selective cloning methods on a task, (4) a standard baseline off-policy RL method, SAC [10], and finally (5) an ablation of our method without any prior data, indicated as no prior data.

The results for our simulation experiments are summarized in Table 1. We note that our data-driven approach generally performs well for all initial conditions on both tasks. The policy is able to leverage the prior data to automatically determine that a closed drawer should be opened before grasping, and obstructions should be moved out of the way prior to drawer opening, despite never having seen complete episodes that involve both opening the drawer and taking out the object, and not having any reward or success labels in the prior data.
Acknowledgements

We thank members of the Robotics and AI Lab (RAIL) at UC Berkeley for providing feedback on early drafts of this paper. We also thank the anonymous reviewers for providing useful comments. This research was supported by the Office of Naval Research, the DARPA Assured Autonomy program, NSF IIS-1651843, and Berkeley DeepDrive, with compute support provided by Amazon, Nvidia and Google.

References


Appendices

A Related Work

Robotic RL. RL has been applied to a wide variety of robotic manipulation tasks, including grasping objects [13, 40], in-hand object manipulation [29, 35, 32, 18], pouring fluids [33], door opening [38, 3], and manipulating cloth [26, 34]. Most of these works use online RL methods, relying on a well-tuned interaction loop between data collection and policy training, instead of leveraging prior datasets. Our paper is more closely related to Kalashnikov et al. [13], Julian et al. [12], and Cabi et al. [2], which also use offline RL and large prior datasets. However, these prior works focus on generalization to new objects, as well as fine-tuning to handle greater variability (e.g., more object types, changes in lighting, etc.). Our work instead focuses on changes in initial conditions that require entirely different skills than those learned as part of the current task, such as opening a drawer before grasping an object.

Data-driven robotic learning. In addition to RL-based robotics, data-driven robotics in general has become increasingly popular in recent years, and several works have investigated using large-scale datasets to tackle long-standing challenges in robotics, such as grasping novel objects. However, most prior work in this category focuses on executing the same actions on novel objects [14, 31, 21, 23, 9]. In contrast, we explicitly target problems where new behavior needs to be learned to perform the task in a new scenario, and use prior interaction datasets to achieve this ability via model-free RL. Visual foresight [6] and its followups [4, 5, 37, 11] also address temporally extended tasks with large datasets by learning video prediction models, but with significantly shorter time horizons than demonstrated in our work, due to the difficulty of long-horizon video prediction. Mandlekar et al. [24] use an alternate approach of explicitly learning hierarchical policies for control, and Mandlekar et al. [25] utilizes offline imitation learning to compose different demonstration trajectories together.

Offline deep RL. While offline (or “batch”) RL is a well-studied area [20, 19, 27, 22], there has been a significant amount of recent interest in offline deep RL, where deep RL agents are trained on a static, previously collected dataset without any environment interaction [22, 17, 8, 16, 1, 36, 30, 39]. These works largely focuses on developing more effective offline deep RL algorithms by correcting for distribution shift [7, 17, 16, 36, 30, 39] which renders standard off-policy RL algorithms inadmissible in purely offline settings [16, 22]. In contrast, our work does not propose a new algorithm, but rather adapts existing offline RL methods to the setting where prior data from a different domain must be integrated into learning a new task such that it succeeds under a variety of conditions.

B End-to-End Robotic Learning with Prior Datasets

In this section, we discuss how our method can be instantiated in a practical robotic learning system.

MDP for robotic skills. The state observation $s \in S$ consists of the robot’s current camera observation, which is an RGB image of size $48 \times 48$ for simulated experiments, and $64 \times 64$ for real robot experiments, and the current robot state. The robot state consists of the end-effector pose (Cartesian coordinates and Euler angles), and the extent to which the gripper is open (represented using a continuous value). The action space $A$ consists of six continuous actions and two discrete actions. The six continuous actions correspond to controlling the end-effector’s 3D coordinates and its orientation. The first discrete action corresponds to opening or closing the gripper, while the second discrete action executes a return to the robot’s starting configuration. We use sparse reward functions for all of our tasks: a reward of $+1$ is provided when a task has been executed successfully, while a zero reward is provided for all other states. We do not have any terminal states in our MDP.

Data collection. Our prior data collection takes place before any task-specific learning has happened. Since a completely random policy will seldom execute behaviors of interest, we bias our data collection policy towards executing more interesting behavior through the use of weak scripted policies: these policies typically have a success rate of 30-50% depending on the complexity of the task they are performing. More details on the scripted policies can be found in Appendix C.1.
Neural network architectures. Since we learn to stitch together behaviors directly from raw, visual observation inputs, we utilize convolutional neural networks (ConvNets) to represent our policy \(\pi_\phi\) and the Q-function \(Q_\theta\), the details of which can be found in Appendix C.2.

C Experimental Setup Details

Pick and place. Our first simulated environment is shown in Figure 3. It consists of a 6-DoF WidowX robot in front of a tray containing a small object and a tray. The objective is to put the object inside the tray. The reward is +1 when the object has been placed in the box, and zero otherwise. A simple initial condition for this task involves the robot already holding the object at the start of the episode, while a harder initial condition is when the robot has to first pick up the object. For this simplified experimental setting, the prior data consists of 10K grasping attempts from a randomized scripted policy (that has a success rate of about 40%, details of this policy are in Appendix C.1). Note that we do not provide any labels for which attempts were successful, and which were not. The task-agnostic prior dataset also consists of behaviors that may be irrelevant for the task. The task-specific data consists of 5K placing attempts from a different scripted policy (with a high success rate of over 90%, since the tray position is unchanged across trials), and these trajectories are labeled with rewards. Note that there is no single trajectory in our dataset that solves the complete pick and place task, but the prior and task-specific datasets have a non-zero overlap in their state distribution.

Grasping from a drawer. Our second and more complex simulated environment is shown in Figure 4. It consists of a 6-DoF WidowX robot and a larger variety of objects. The robot can open or close a drawer, grasp objects from inside the drawer or on the table, and place them anywhere in the scene. Some of these behaviors require various preconditions. For example, grasping an object from the drawer might require opening that drawer, which in turn might require moving an obstruction out of the way. The task here consists of taking an object out of a drawer, as shown in Figure 4. A reward of +1 is obtained when the object has been taken out, and zero otherwise. When learning the new task, the drawer always starts out open. The more difficult test conditions include ones where the drawer starts out closed, the top drawer starts out open (which blocks the handle for the lower drawer), and an object starts out in front of the closed drawer, which must be moved out of the way before opening. These settings are illustrated in Figure 4. The prior data for this environment is collected from a collection of scripted randomized policies. These policies are capable of opening and closing both drawers with 40-50% success rates, can grasp objects in the scene with about a 70% success rate, and place
those objects at random places in the scene (with a slight bias for putting them in the tray). The prior data does not contain any interactions with the object inside the drawer and contains data irrelevant to solving the task, such as behavior that blocks the drawer by placing objects in front of it. There are 1.5m datapoints (transitions) in the prior dataset, and 300K datapoints in the task-specific dataset.

Online fine-tuning. While our method is able to obtain high success rates from offline learning alone, we also evaluated if the learned policies can be further improved via online fine-tuning. The results from these online fine-tuning experiments are shown in Figure 5. We see that for all of the novel initial conditions for the drawer task, the policy is able to achieve a success rate of over 90% from collecting only a small amount of additional episodes (500-4000, depending on the task). In our real world experimental setup (which we describe below), we are able to collect 3K episodes in a single day (autonomously), making this requirement quite feasible for real world problems. We compared this fine-tuning experiment against fine-tuning with SAC (starting from a behavior cloned policy), which performed substantially worse (see Figure 9 in Appendix D), likely due to the low initial performance of the BC policy, and since the Q-function for SAC needs to be learned from scratch in this setting. Prior work has also observed that fine-tuning a behavior-cloned policy with SAC typically leads to some unlearning at the start, which further reduces the performance of this policy [28]. More details can be found in Appendix D.

Real-world evaluation. Our real world setup (see Figure 6) consists of a WidowX robotic arm in front of a drawer, and an object inside the drawer. The task is to take the object out of the drawer. As before, the reward is +1 on completion, zero otherwise. During training for the new task, the drawer starts open. The prior dataset consists of drawer opening and closing from a scripted randomized policy (details in Appendix C.1). As before, the prior dataset has no reward labels, and no instances of the new task (object grasping). The task-specific data is collected using a scripted grasping policy, which has a success rate of about 50%. The prior dataset consists of 80K transitions collected over 20 hours, and the new task dataset has 80K transitions (4K grasp attempts) collected over 34 hours. Our learned policy succeeds in 7/8 trials when the drawer starts out closed, and substantially outperforms the BC-oracle baseline, which never succeeds on this real-world task.

C.1 Data Collection Policies

Both our real and simulated environments use the following 8-dimensional control scheme:

\[ [x, y, z, \text{alpha}, \text{beta}, \text{gamma}, \text{gripperOpen}, \text{moveToNeutral}] \]
where the $x, y, z$ dimensions command changes in the end-effector's position in 3D space, $\alpha, \beta, \gamma$ command changes in the end-effector's orientation, $\text{gripperOpen}$ is a continuous value from $[-1, 1]$ that triggers the gripper to close completely when less than $-0.5$ and open completely when greater than $0.5$, and $\text{moveToNeutral}$ is also a continuous value from $[-1, 1]$ that triggers the robot to move to its starting joint position when greater than $0.5$. The code for our environments can be found on our project website: https://sites.google.com/view/cog-rl.

We describe our scripted data collection policies in this section. More details can be found in Algorithms 1-3.

**Scripted grasping.** Our scripted grasping policy is supplied with the object’s (approximate) co-ordinates. In simulation, this information is readily available, while in the real world we use background subtraction and a calibrated monocular camera to approximately localize the object. Note that this information does not need to be perfect, as we add a significant amount of noise to the scripted policy’s action at each timestep. After the object has been localized, the scripted policy takes actions that move the gripper toward the object (i.e. action ← object_position − gripper_position). Once the gripper is within some pre-specified distance of the object, it closes the gripper (which is a discrete action). Note that this distance threshold is also randomized – sampled from a Gaussian distribution with a mean of $0.04$ and a standard deviation of $0.01$ (in meters). It then raised the object until it is above a certain height threshold. For the simulated pick and place environment, the scripted policy for grasping obtains a success rate of $50\%$, while the success rate is $70\%$ for the drawer environment. For the real world drawer environment, the scripted success rate is $30\%$.

**Scripted pick and place.** The pick part of the pick and place scripted policy is identical to the grasping policy described above. After the grasp has been attempted, the scripted policy uniformly randomly selects a point in the workspace to place the object on, and then takes actions to move the gripper above that point. Once within a pre-specified (and randomized) distance to that point, it opens the gripper. The policy is biased to sample more drop points that lie inside the tray to ensure we see enough successful pick and place attempts. Once the object has been dropped, the robot returns to its starting configuration (using the moveToNeutral action).

**Scripted place.** This policy is used in scenes where the robot is already holding the object at the start of the episode. The placing policy is identical to the place component of the pick and place policy described above.

**Drawer opening and closing.** The scripted drawer opening policy moves the gripper to grasp the drawer handle, then pulls on it to open the drawer. The drawer closing policy is similar, except it pushes on the drawer instead of pulling it. Even if the correct action for a particular task might involve only opening the drawer, we collect data (without reward labels) that involves both opening and closing the drawer during prior data collection. Gaussian noise is added to the policy actions at every timestep. After the opening/closing is completed, the robot returns to its starting configuration.

**Ending scripted trajectories with return to starting configuration** We ended the scripted trajectories with a return to the robot's starting configuration. We believe that this return to starting configuration increases the state-distribution overlap of the various datasets collected from scripted policies, making it possible to stitch together relevant trajectories from the prior dataset to extend the skill learned for the downstream task.
Algorithm 1 Scripted Grasping

1: threshold $\sim \mathcal{N}(0.04, 0.01)$
2: numTimesteps $\leftarrow 30$
3: for t in (0, numTimesteps) do
4: objPos $\leftarrow$ object position
5: eePos $\leftarrow$ end effector position
6: objGripperDist $\leftarrow$ distance(objPos, eePos)
7: if objGripperDist $>$ threshold then
8: action $\leftarrow$ objPos $-$ eePos
9: else if gripperOpened then
10: action $\leftarrow$ close gripper
11: else if object not raised high enough then
12: action $\leftarrow$ lift upward
13: else
14: action $\leftarrow 0$
15: end if
16: noise $\sim \mathcal{N}(0, 0.2)$
17: action $\leftarrow$ action + noise
18: $(s, r, s') \leftarrow$ env.step(action)
19: end for
20:

Algorithm 2 Scripted Pick and Place

1: threshold, dropDistThreshold $\sim \mathcal{N}(0.04, 0.01)$
2: numTimesteps $\leftarrow 30$
3: for t in (0, numTimesteps) do
4: eePos $\leftarrow$ end effector position
5: dropPos $\leftarrow \begin{cases} 
\text{point above box} & \text{w/ prob. 0.5} \\
\text{point outside box} & \text{w/ prob. 0.5}
\end{cases}$
6: objectDropDist $\leftarrow$ distance(eePos, dropPos)
7: if object not grasped AND objectDropDist $>$ dropDistThreshold then
8: Execute grasp using Algorithm 1
9: else if objectDropDist $>$ boxDistThreshold then
10: action $\leftarrow$ dropPos $-$ eePos
11: action $\leftarrow$ lift upward
12: else if object not dropped then
13: action $\leftarrow$ open gripper
14: else
15: action $\leftarrow 0$
16: end if
17: noise $\sim \mathcal{N}(0, 0.2)$
18: action $\leftarrow$ action + noise
19: $(s, r, s') \leftarrow$ env.step(action)
20: end for

Algorithm 3 Scripted Drawer Opening/Closing

1: threshold $\sim \mathcal{N}(0.04, 0.01)$
2: numTimesteps $\leftarrow 30$
3: for t in (0, numTimesteps) do
4: handlePos $\leftarrow$ handle center position
5: eePos $\leftarrow$ end effector position
6: targetGripperDist $\leftarrow$ dist(targetPos, eePos)
7: if targetGripperDist $>$ threshold AND not drawerOpened then
8: action $\leftarrow$ targetPos $-$ eePos
9: else if not drawerOpened (or closed) then
10: action $\leftarrow$ move left to open drawer, or right to close drawer
11: else if gripper not above drawer then
12: action $\leftarrow$ lift upward
13: else
14: action $\leftarrow$ moveToNeutral
15: End scripted trajectory
16: end if
17: noise $\sim \mathcal{N}(0, 0.2)$
18: action $\leftarrow$ action + noise
19: $(s, r, s') \leftarrow$ env.step(action)
20: end for
C.2 Neural Network Architectures

Figure 7: Neural network architecture for real robot experiments. Here we show the architecture for the policy network for real robot experiments. The Q-function architecture is identical, except it also has the action as an input that is passed in after the flattening step. We map high dimensional image observations to low level robot commands, i.e. desired position of the end-effector, and gripper opening/closing.

Figure 8: Neural network architecture for simulated experiments. Here we show the architecture for the Q-function in our simulated experiments. The policy architecture is identical, except no action is passed to the network. Note that we omit the information about the gripper position and orientation, since including this information did not seem to make a difference in our simulated experiments.

Figures 7 and 8 show the neural network architectures used in our real world and simulated experiments, respectively. We experimented with several different architectures (varying the number of convolutional layers from 2 to 4, and varying the number of filters in each layer from 4 to 16), and found these two architectures to perform the best.

C.3 Hyperparameters for Reinforcement Learning

We used the conservative Q-learning (CQL) [17] algorithm in our method. Source code can be found on our project website: https://sites.google.com/view/cog-rl We now present the hyperparameters used by our method below:

- **Discount factor**: 0.99 (identical to SAC, CQL),
- **Learning rates**: Q-function: 3e-4, Policy: 3e-5 (identical to CQL),
- **Batch size**: 256 (identical to SAC, CQL),
- **Target network update rate**: 0.005 (identical to SAC, CQL),
- **Ratio of policy to Q-function updates**: 1:1 (identical to SAC, CQL),
- **Number of Q-functions**: 2 Q-functions, \( \min(Q_1, Q_2) \) used for Q-function backup and policy update (identical to SAC, CQL),
- **Automatic entropy tuning**: True, with target entropy set to \(-\log |A|\) (identical to SAC, CQL),
- **CQL version**: CQL(\(H\)) (note that this doesn’t contain an additional \(-\alpha \log \pi(a|s)\) term in the Q-function backup),
- **\(\alpha\) in CQL**: 1.0 (we used the non-Lagrange version of CQL(\(H\))),
- **Number of negative samples used for estimating logsumexp**: 1 (instead of the default of 10 used in CQL; reduces training wall-clock time substantially when learning from image observations)
• **Initial BC warmstart period**: 10K gradient steps

• **Evaluation maximum trajectory length**: 80 timesteps for simulated drawer environment, 40 timesteps for simulated pick and place. For real world drawer environment, this value is equal to 35 timesteps.

**D  Comparison to BC + SAC for online fine-tuning**

We compared our CQL fine-tuning results to fine-tuning a behavior-cloned policy with SAC, and observed that fine-tuning with CQL yields substantially better results. The comparison between CQL fine-tuning, and this BC+SAC baselines is shown in Figure 9 for the grasping from a drawer task (see Figure 4), for the initial condition where the drawer starts out closed. We see that the initial SAC performance is low, which is partly due to the low success rate of the BC policy, and also because SAC typically undergoes some unlearning at the start of the fine-tuning process. This unlearning when fine-tuning with SAC has been observed in prior work [28], and is due to the fact that a randomly initialized critic is used to update the policy. For harder (i.e., long-horizon) tasks with more complicated initial conditions (such as blocked drawer 1 and blocked drawer 2), we were unable to get SAC to perform well from a BC initialization, even after we collecting over 5K new episodes.

![Online Finetuning with Our Method vs SAC with BC Pre-Training](image)

**Figure 9: Fine-tuning with CQL vs BC+SAC** We compared fine-tuning with CQL to fine-tuning a BC policy with SAC. SAC experiences some unlearning at the start (resulting in a success rate of zero at the start of training), and needs to collect a somewhat large number of samples before it can recover. Further, the variance across three random seeds was quite high for BC+SAC.
E Learning Curves

Figure 10: Learning curves for simulated experiments by method and initial condition. Here we compare the success rate curves of our method (COG) to the three behavioral cloning baselines in the four settings of Table 1 where prior data is essential for solving the task: the place in tray task with the object starting in the tray (upper left), as well as the grasp from drawer task with a closed drawer (upper right), blocked drawer 1 (lower left), and blocked drawer 2 (lower right).

Here are detailed learning curves for the experiments we summarized in Table 1. Note that the x-axis here denotes number of update steps made to the policy and Q-function, and not the amount of data available to the method. Since we operate in an offline reinforcement learning setting, all data is available to the methods at the start of training. We see that COG is able to achieve a high performance across all initial conditions for both the tasks. We substantially outperform comparisons to prior approaches that are based on pretraining using behavior cloning, including an oracle version that only uses trajectories with a high reward.